

# Digital Logic Design (CSNB163)

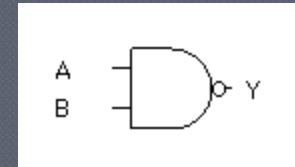
Module 7

# Recaps.. NAND gate

- In Module 3 we have learned about NAND gate – it is a combination of **AND** operation **followed** **by NOT** operation

- Symbol  
 $\overline{A \cdot B} = Y$

- Logic Gate



- Truth table

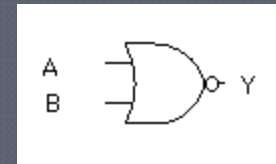
A	B	Y
0	0	1
0	1	1
1	0	1
1	1	0

# Recaps... NOR gate

- In Module 3 we have learned about NOR gate – it is a combination of **OR** operation **followed by NOT** operation

- Symbol  
 $A + B = Y$

- Logic Gate



- Truth table

A	B	Y
0	0	1
0	1	0
1	0	0
1	1	0

# Recaps... NAND and NOR gates

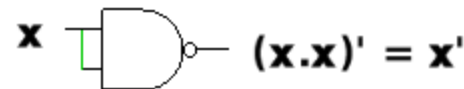
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- In Module 3, we have also learned that digital circuits are **more frequently constructed with NAND or NOR gates** rather than with AND or OR gates.
- The main reason behind this is that NAND and NOR gates are **easier to fabricate** with electronic components.
- NAND and NOR gates are said to be **universal** gate because any digital logic design can be constructed just by using NAND and NOR gates.

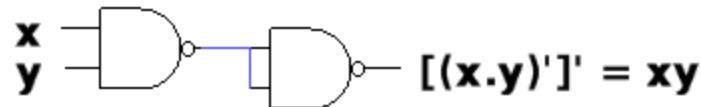
# Universality of NAND gate

- In Module 3, we have learned that digital logic design are derived from 3 basic logic operations namely NOT, AND and OR.
- The universality of NAND gate allows it to represent:

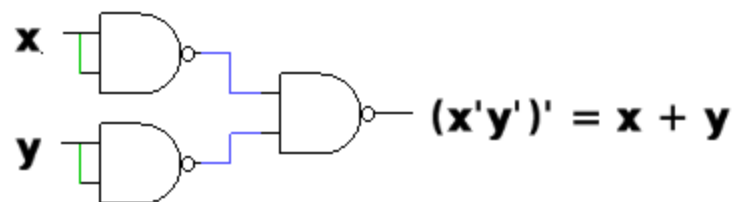
- NOT operation



- AND operation



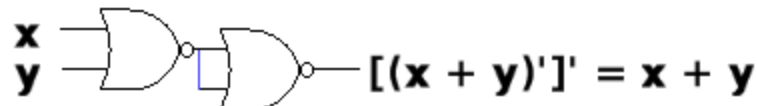
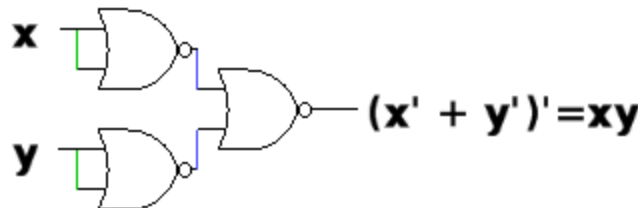
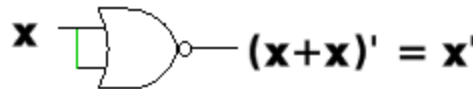
- OR operation



# Universality of NOR gate

- In Module 3, we have learned that digital logic design are derived from 3 basic logic operations namely NOT, AND and OR.
- The universality of NOR gate allows it to represent:

- NOT operation
- AND operation
- NOR operation



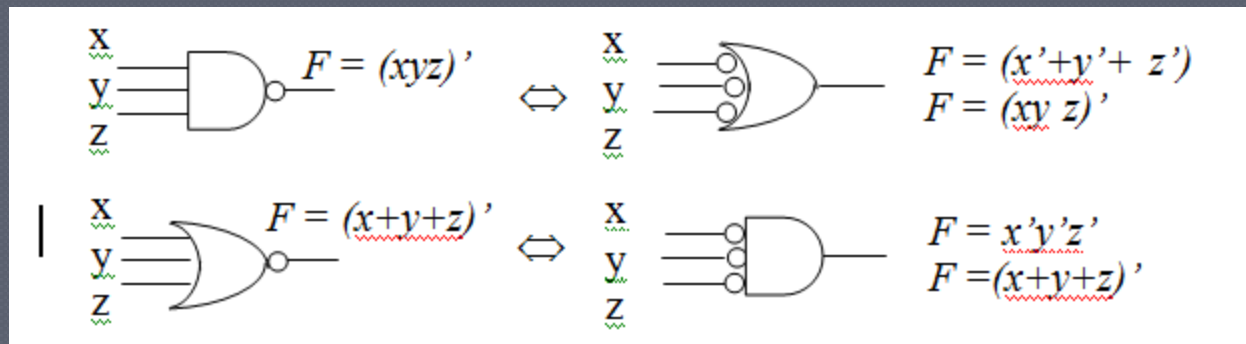
# Recaps.. De Morgan's Theorem

- In Module 4, we have learned about DeMorgan's Law, whereby:

$$\overline{(a \cdot b)} = \overline{a} + \overline{b}$$

$$\overline{(a + b)} = \overline{a} \cdot \overline{b}$$

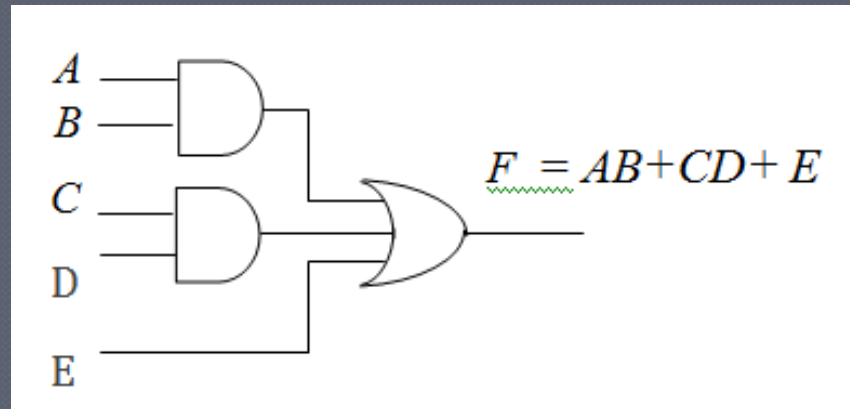
- Thus, the following property holds true:



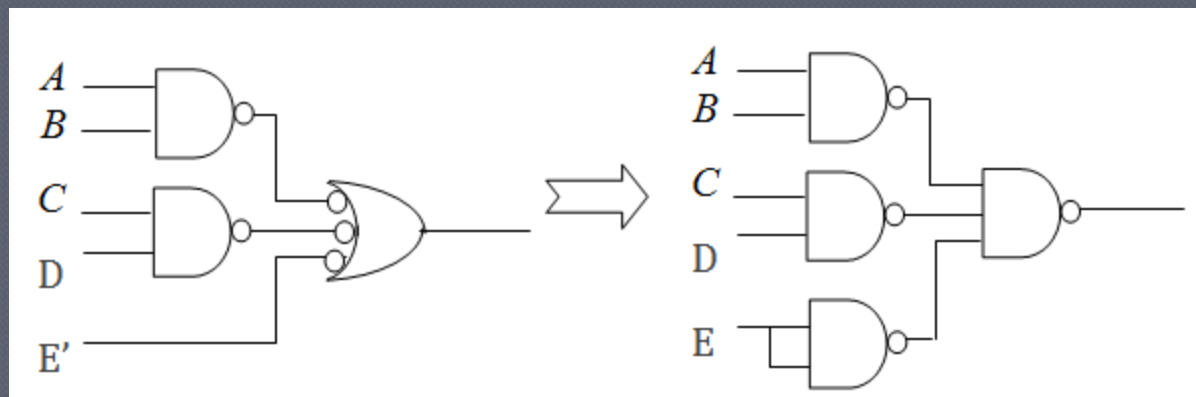
# NAND Implementation

- Any **Sum of Products** Boolean expression can be implemented using **NAND gates**.

- E.g.  $F = AB + CD + E$



- NAND conversion:

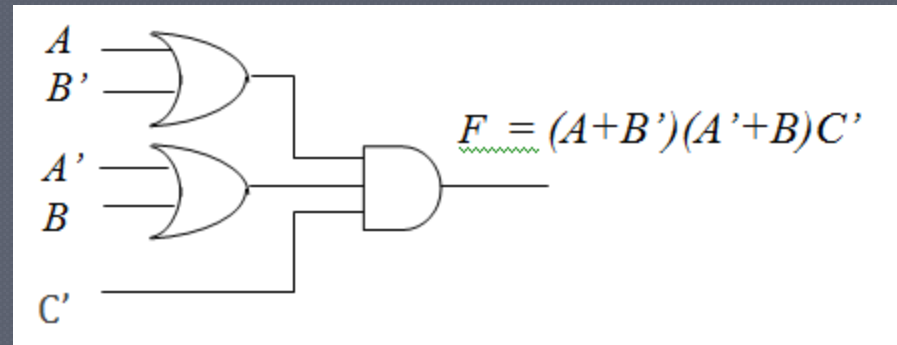




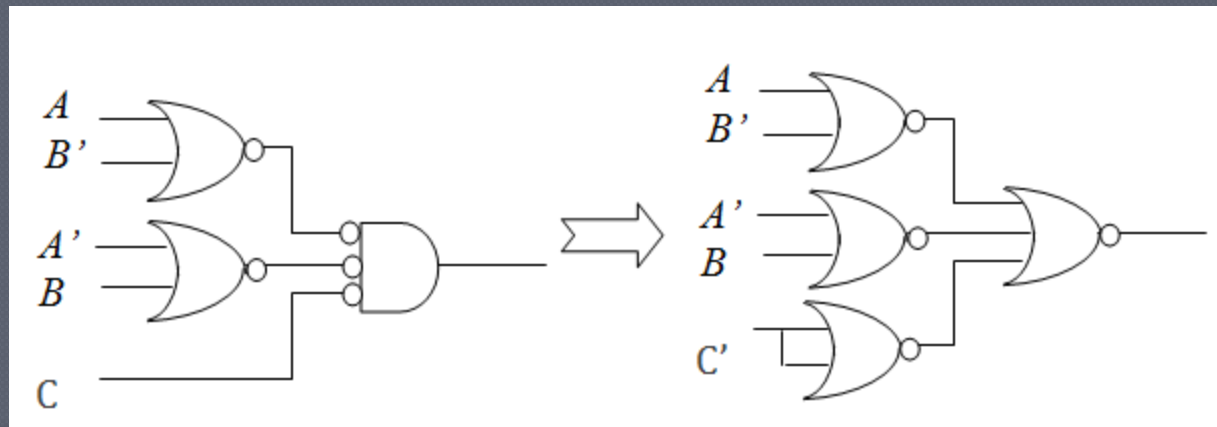
# NOR Implementation

- Any **Product of Sum** Boolean expression can be implemented using **NOR gates**.

- E.g. 
$$F = (A + B')(A' + B)C'$$



- NOR conversion:

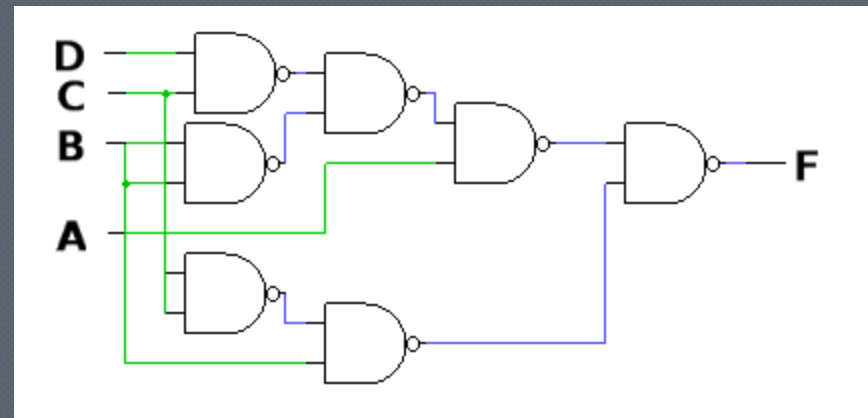
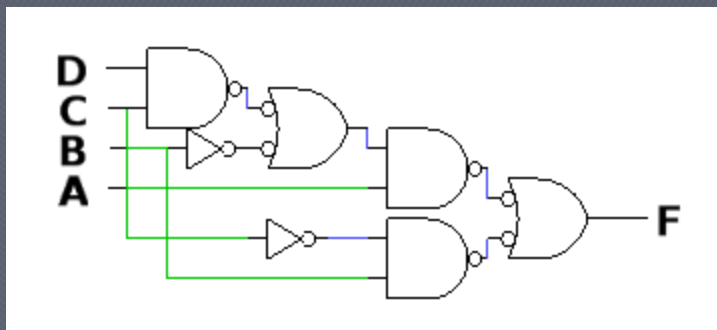
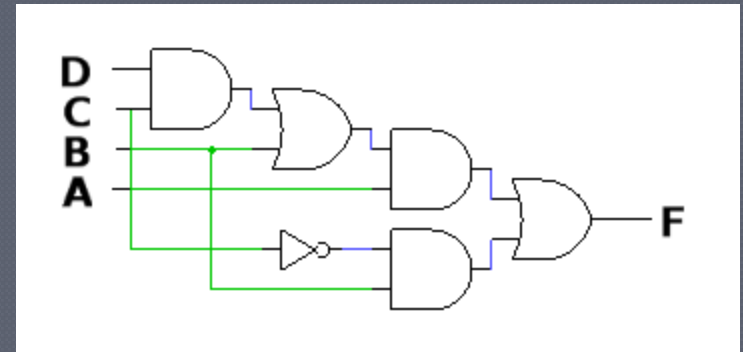


# Exercise 1

- Implement the following Boolean equation

$$F = A(CD + B) + BC'$$

using all NAND gates.



# Wired Logic

- Wired Logic is a form of digital logic in which some logic functions are implemented by directly connecting together the outputs of one or more logic gates.
- Two basic wired logic functions are:

- AND – OR – INVERT**

E.g.

$$F = (AB + CD + E)'$$

- OR – AND - INVERT**

E.g.

$$F = [(A+B) (C+D)E]'$$

# AND-OR-INVERT Implementation

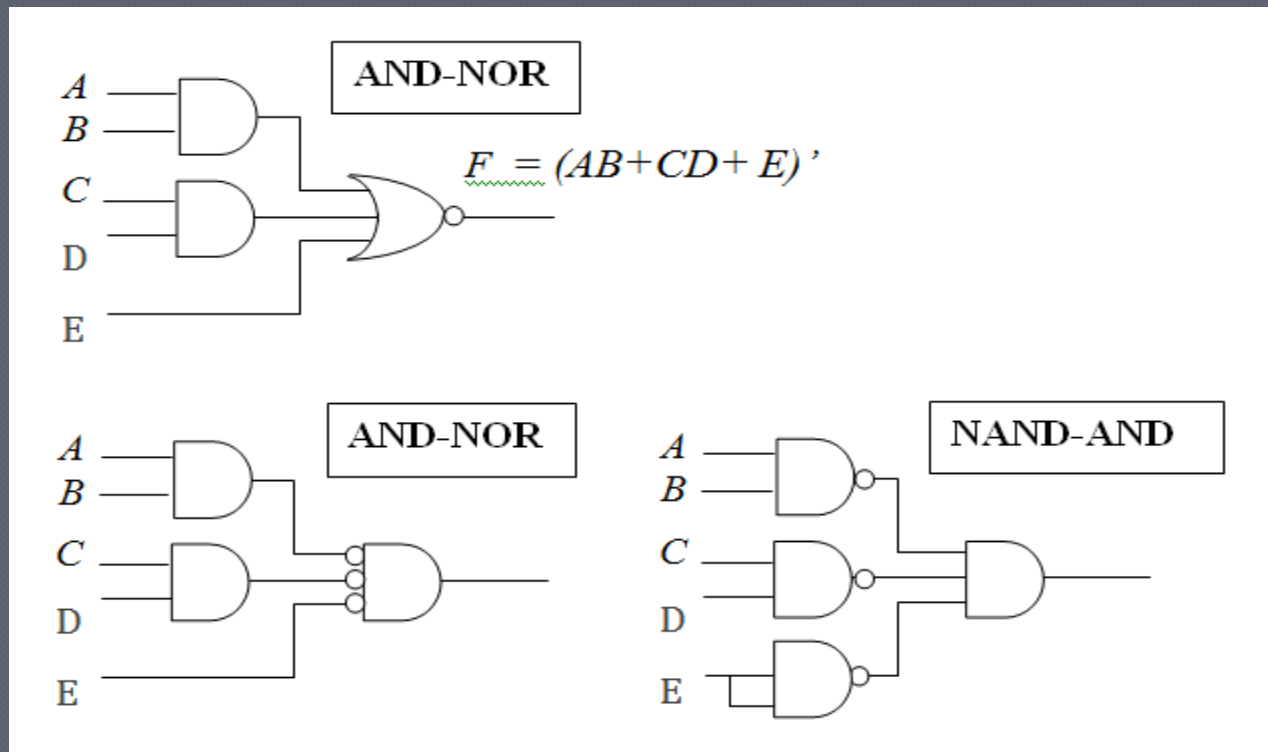
- It requires a function in sum of products form.
- It requires 2 logic circuit function:

**(1) AND-NOR**

or

**(2) NAND-AND**

- E.g.



# OR-AND-INVERT Implementation

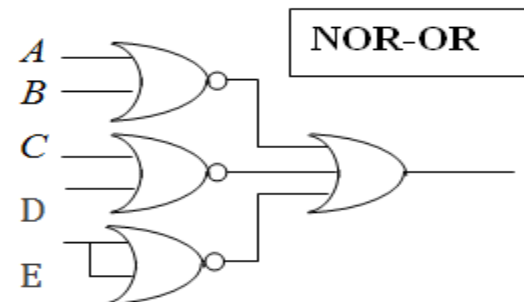
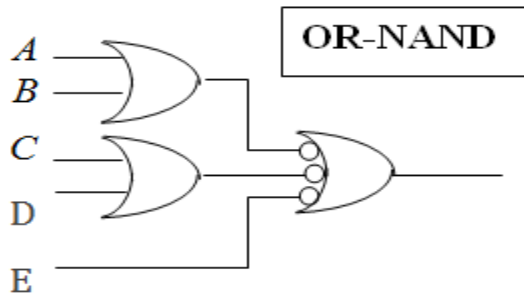
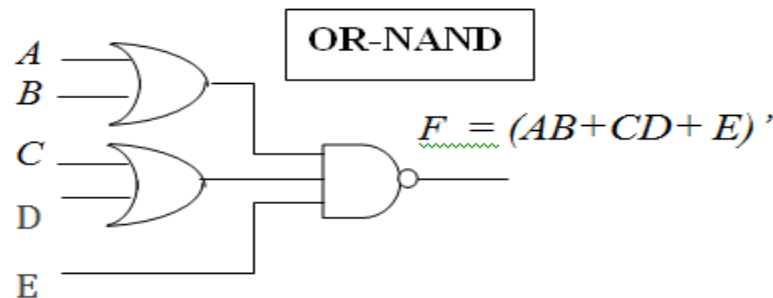
- It requires a function in sum of products form.
- It requires 2 logic circuit function:

**(1) OR-NAND**

or

**(2) NOR-OR**

- E.g.



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End of Module 7